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Extreme Microsystems: Atomic Level Limits

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Semiconductor Research Corporation

SRC Forum on Nanomorphonic Systems

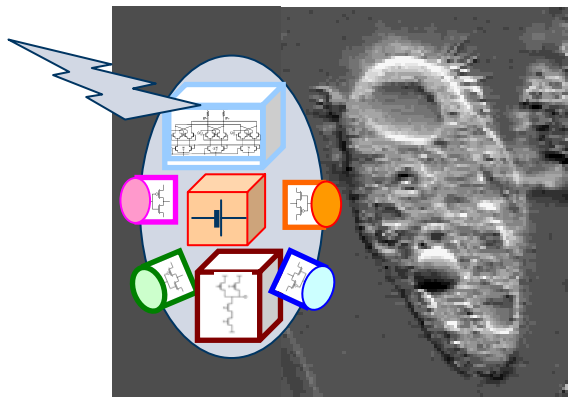
Stanford University, November 8&9, 2007

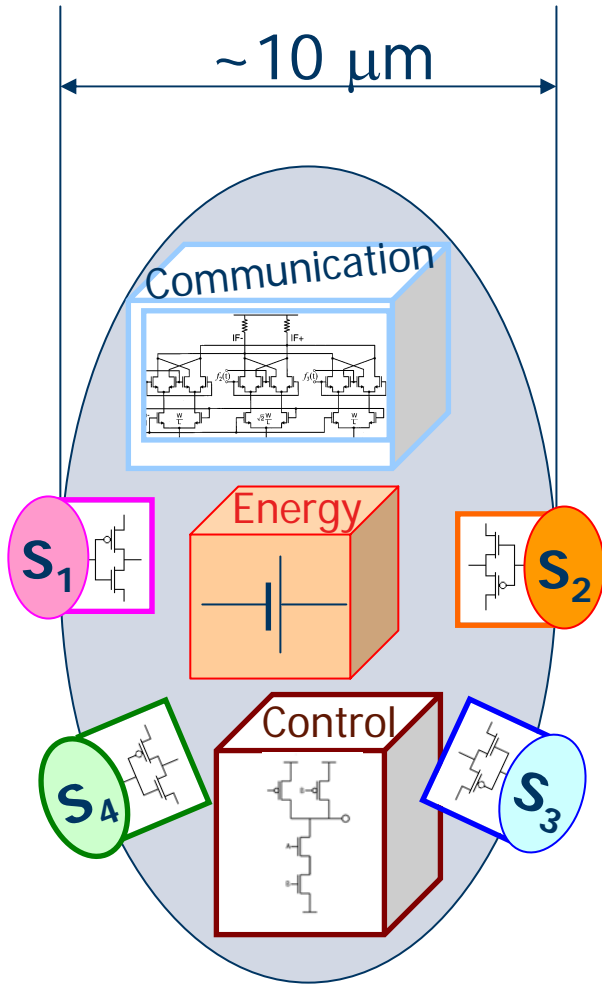
- As feature size scaling continues, integrated circuit technology might morph into integrated system technology at the atomic level

- Atomic scale considerations include
 - Energy source
 - Communication
 - Control Logic
 - Sensing

Prototypical Example of an Extreme Microsystem:

Goal: Sense the state of single living cell





Major functional blocks:

Sensing
Communication
Control
Energy

Technology
 Convergence

Constraints and Trade-offs:

Very limited space needs to be divided between

sensors
 power supply
 electronic components

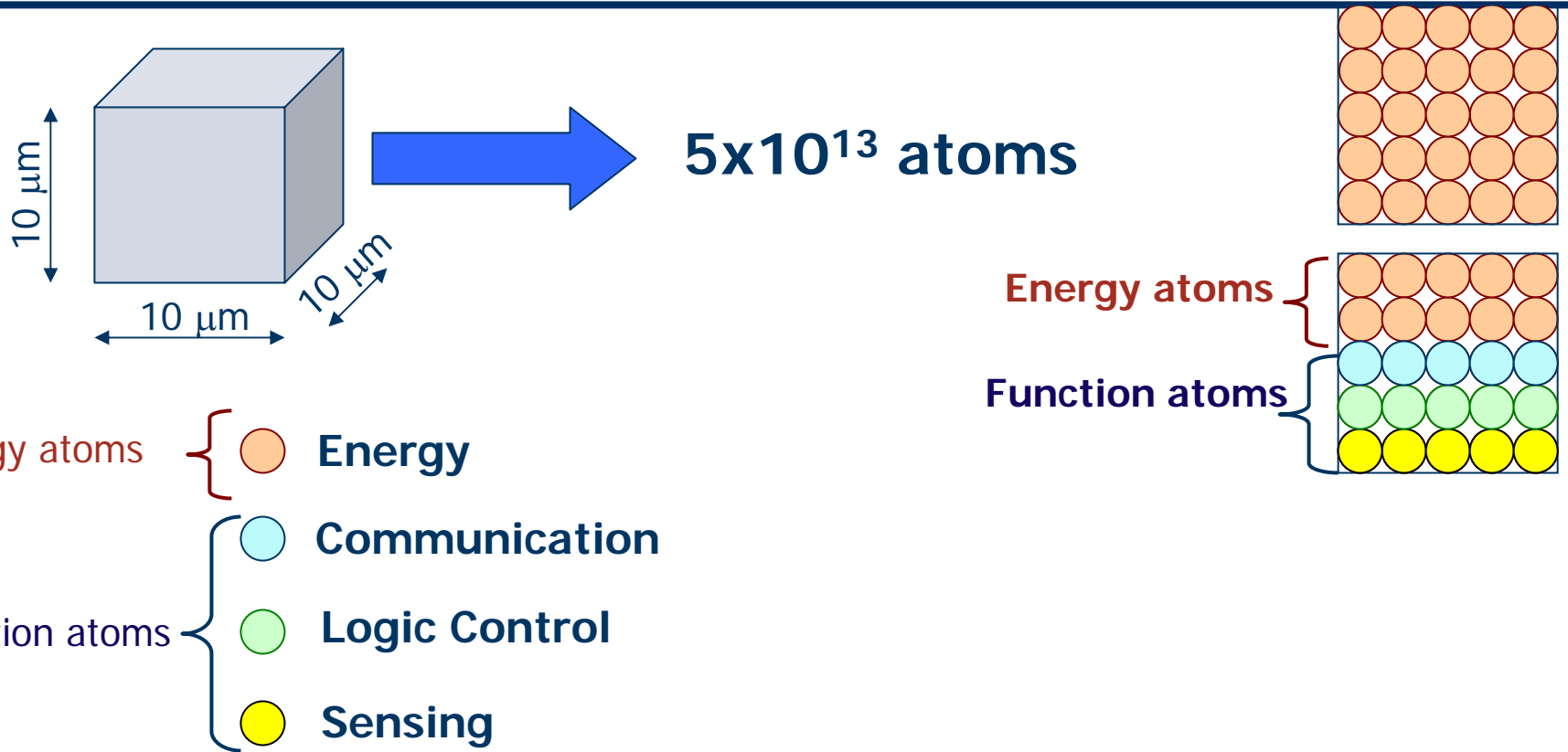
Scaling Limits need to be Understood

Extreme scaling needed

Thermal Limits !

Layout:

3D microcircuits



At this scale, we are literally designing with atoms

- Electrochemical cell
 - Galvanic cell
 - Fuel cell
- Radio-isotope energy sources
- Integrated Supercapacitors
- Radio-isotope energy sources
- Energy harvesting
 - Vibration
 - Electromagnetic

Luigi Galvani (1737-1798)



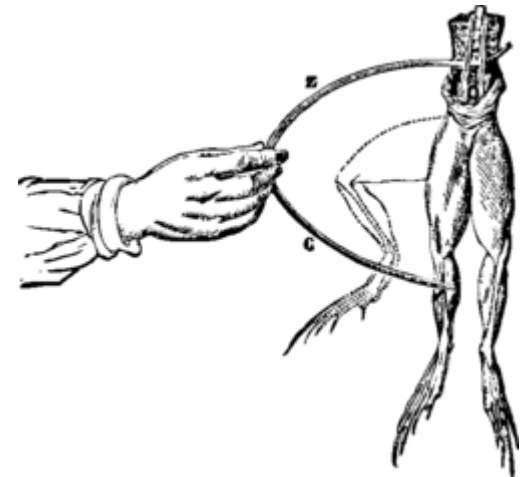
University of Bologna

Known for: *bioelectricity*

Discovered the *extreme sensitivity* of the frog's leg to weak electrical stimuli that elicits muscular contraction

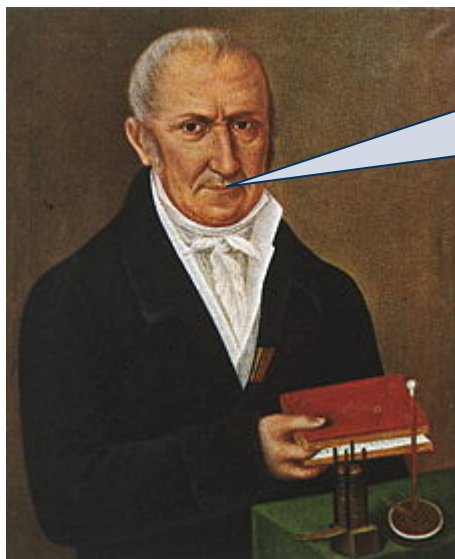
The first biosensor

***The first extremely sensitive electrometer
(even by modern standards)***

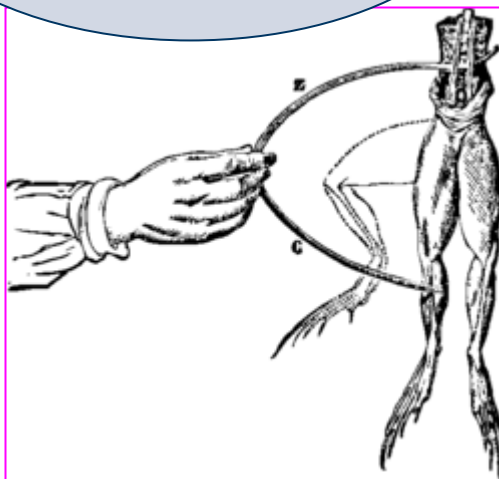


The concept of *Animal Electricity*

Alessandro Volta



No animal electricity – dissimilar metals are the key



Volta built the first battery in order to specifically disprove Galvani's theory

Luigi Galvani



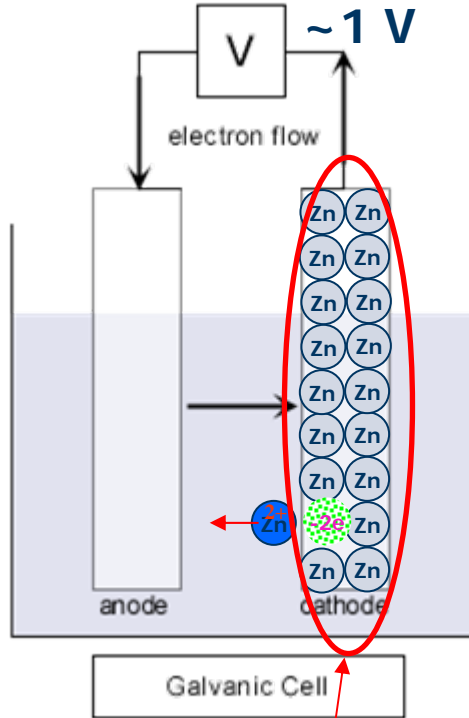
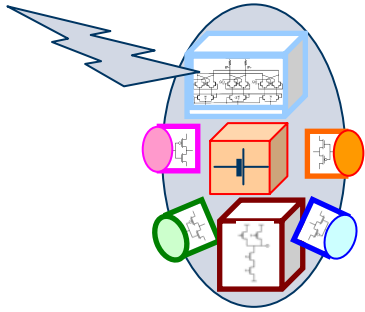
In response, Galvani produced contractions in the absence of any metal by using nerve instead

2007:
Convergence

Electronics

Bioelectronics

Choice and scaling limits of micro-batteries



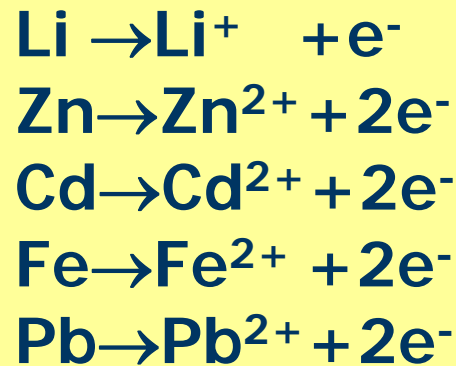
Example:

What occurs in a electro-chemical cell?

For every 1-2 electron that flow through the external connection, on the electrolyte side a metal atom must go into solution as a Me^+ ion

Because the typical chemical bonding energy per electron is $\sim eV$, the typical emf $\sim 1V$

The galvanic cell consumes *atomic fuel* to produce electricity

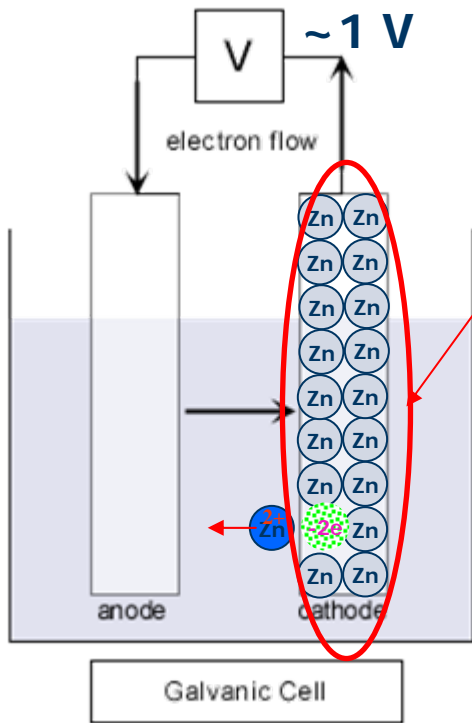
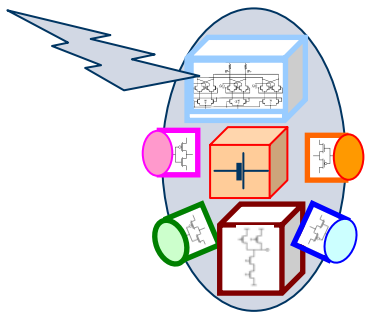


...



1-2 electrons
~ 0.5-3 Volts

Choice and scaling limits of micro-batteries



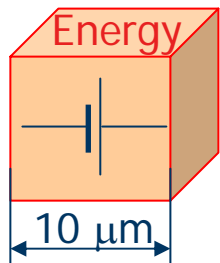
The galvanic cell consumes *atomic fuel* to produce electricity

The energy output is limited by the *number of atoms*

$$E = I \cdot V \cdot t = (It)V = qV \sim eNV$$

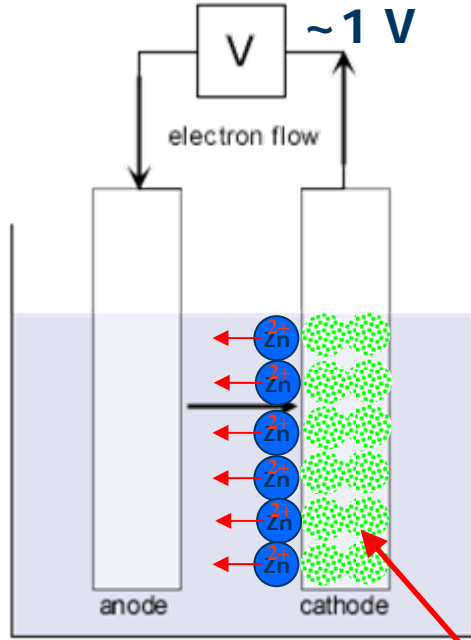
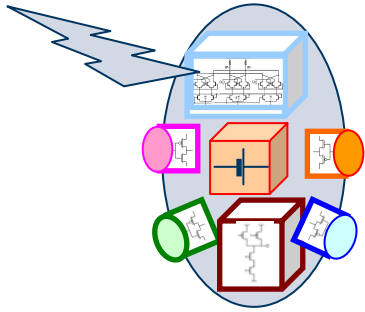
Number of atoms in cathode electrode

$$E_{\max} \sim eN_A \cdot 1V = 1.6 \times 10^{-19} \cdot 6 \cdot 10^{23} \sim 10^5 \frac{J}{\text{mole}} \sim 10^4 \frac{J}{\text{cm}^3}$$



$$E \sim (10^{-3} \text{ cm})^3 \cdot 10^4 \sim 10^{-5} \text{ J}$$

Choice and scaling limits of micro-batteries



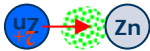
Energy → Number of atoms

The galvanic cell is dead when the atomic fuel is exhausted

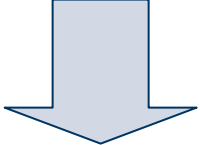
Replace the cell

'Recharge' the cell - return atoms back to the electrodes

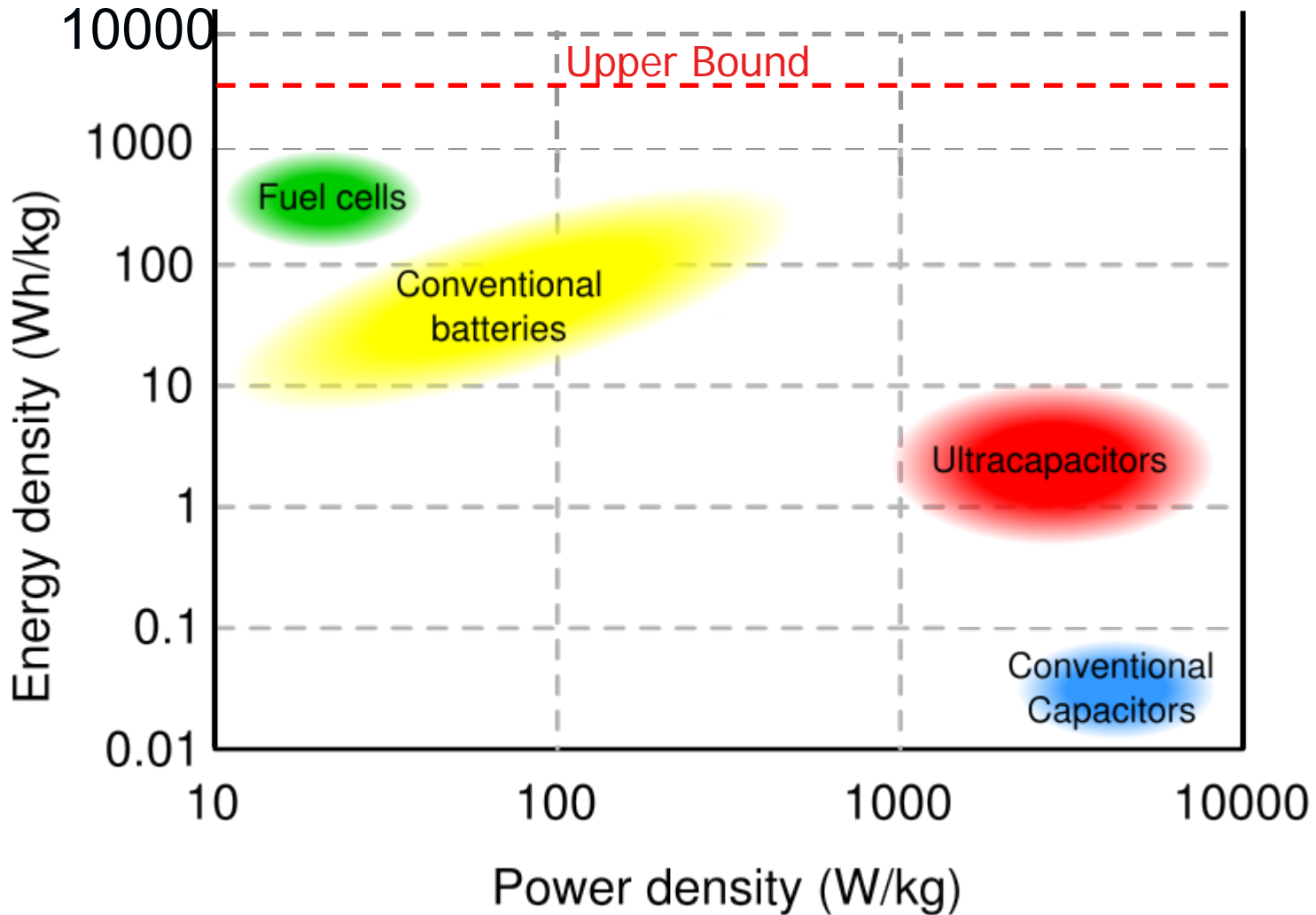
'Refill' the cell - replace the electrode material



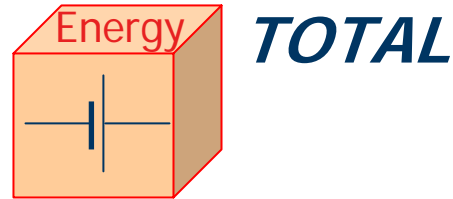
The power delivery is limited by the reaction rate at the electrode-electrolyte interface, and depends on the interface area and atomic density



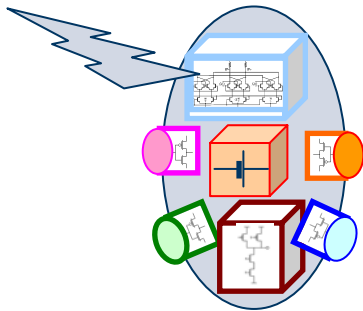
Fuel Cell



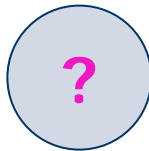
We may need a hybrid combination



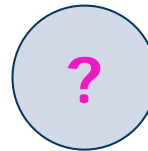
$$E \sim (10^{-3} \text{ cm})^3 \cdot 10^4 \sim 10^{-5} \text{ J}$$



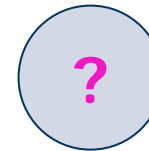
Control



Communication



Sensing



Example: Uniformly radiated wireless communication

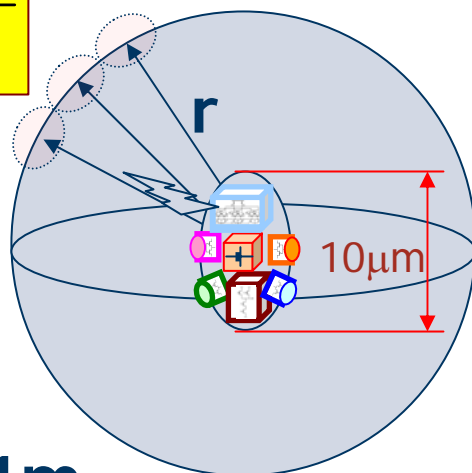
~Friis equation

$$N_{photons} \sim \frac{4\pi r^2}{\lambda^2}$$

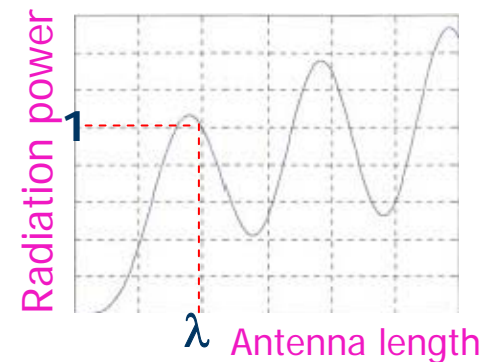
$$E_{com} = N_{photons} \cdot E_{ph}$$

$$E_{ph} = h\nu = \frac{hc}{\lambda}$$

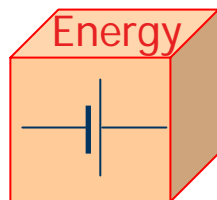
$$E_{com} \sim \frac{4\pi r^2 hc}{\lambda^3}$$



$$\lambda_{max} \sim 10 \mu m$$



Example: $r=1m$

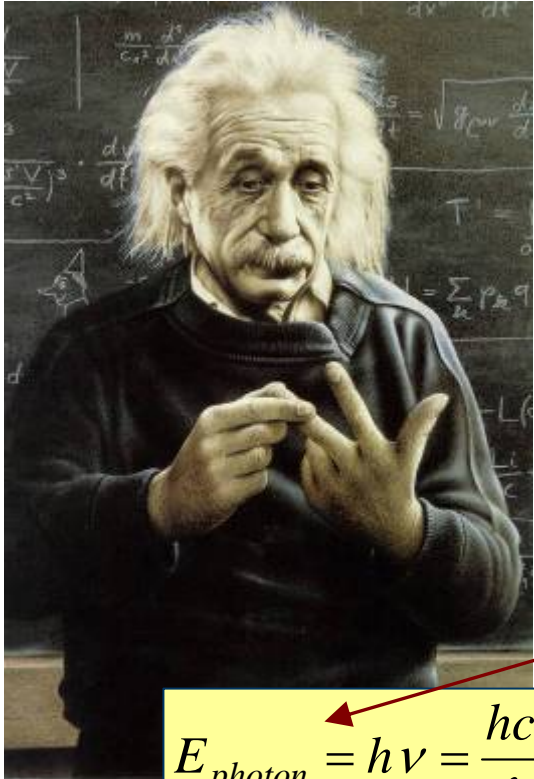


$$E \sim 10^{-5} J$$

$$E_{com} = 4\pi \left(\frac{1}{10^{-5}} \right)^2 \cdot \frac{6.62 \cdot 10^{-34} \cdot 3 \cdot 10^8}{10^{-5}} = 2.5 \cdot 10^{-9} \frac{J}{bit}$$

Max number of sent bits

$$N_{max} = 4000 \text{ bit}$$



Minimum transducer size $L \sim \lambda$ (wave-length limit)

$$E_{com} \sim \frac{4\pi r^2}{\lambda^2} \cdot \frac{hc}{\lambda} = \frac{4\pi r^2 hc}{\lambda^3}$$

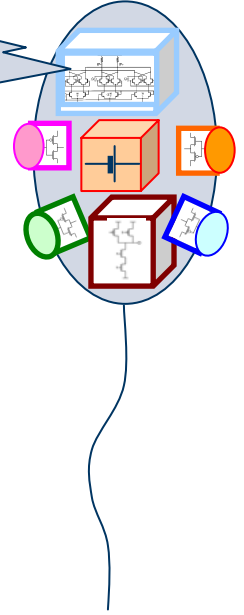
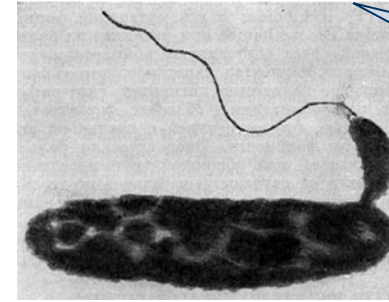
$$E_{photon} = h\nu = \frac{hc}{\lambda}$$

$L \downarrow \rightarrow E \uparrow$ - Einstein's relation doesn't favor scaling of radiative transducers

1) $\uparrow \lambda$ - External antenna

Exclude from the tight atomic budget

Eases length limits



CNT tail antenna?

$$E_{com} \sim \frac{4\pi r^2}{\lambda^2} \cdot \frac{hc}{\lambda} = \frac{4\pi r^2 hc}{\lambda^3}$$

2) Directed transmission

Orientation problem

3) Minimizing communication

should therefore maximize "cell intelligence"





We think that all devices operating in an equilibrium with thermal environment are governed by these relations, no matter what state variables are chosen!



$$\Pi_{error} = \exp\left(-\frac{E_b}{k_B T}\right)$$

$$\Delta x \Delta p \geq \hbar$$

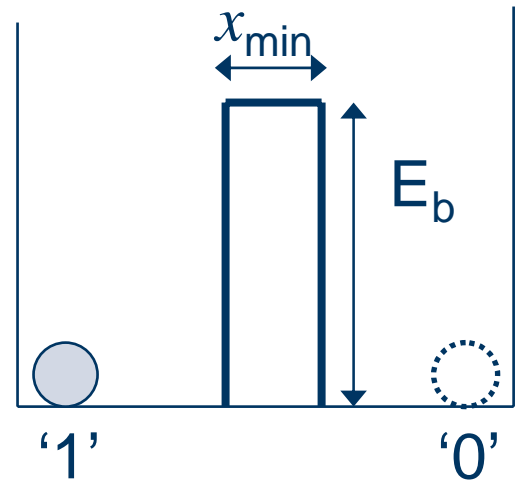
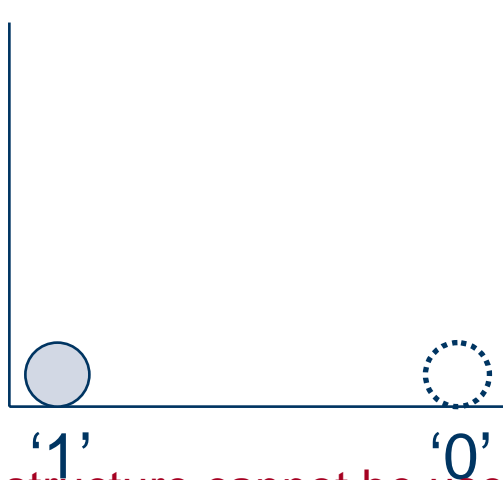
“Boltzman constraint” on minimum switching energy

“Heisenberg constraint” on minimum device size

Nanoscale Devices

$$E_b^{\min} = k_B T \ln 2$$

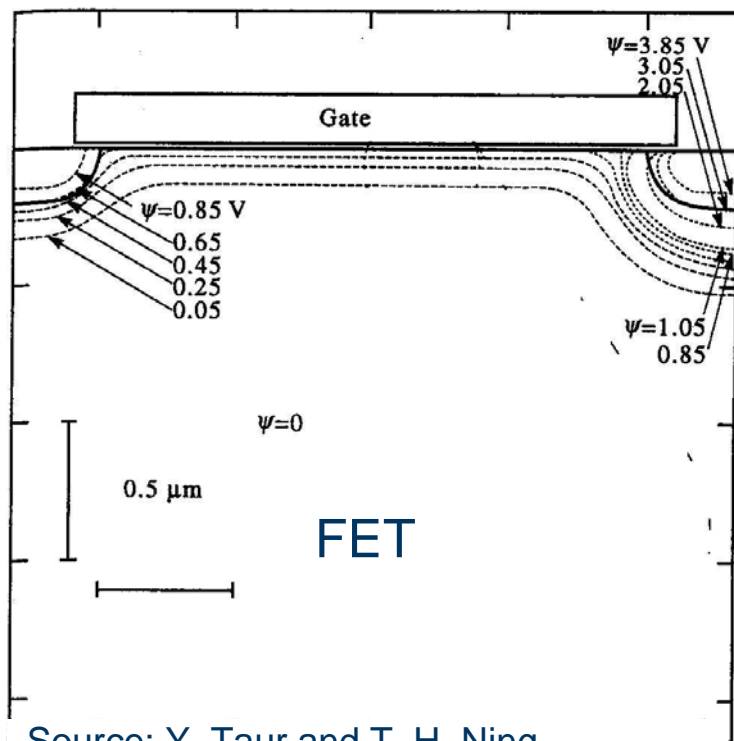
$$x_{\min} = \frac{\hbar}{\sqrt{2mkT \ln 2}}$$



This structure cannot be used for representation/processing information

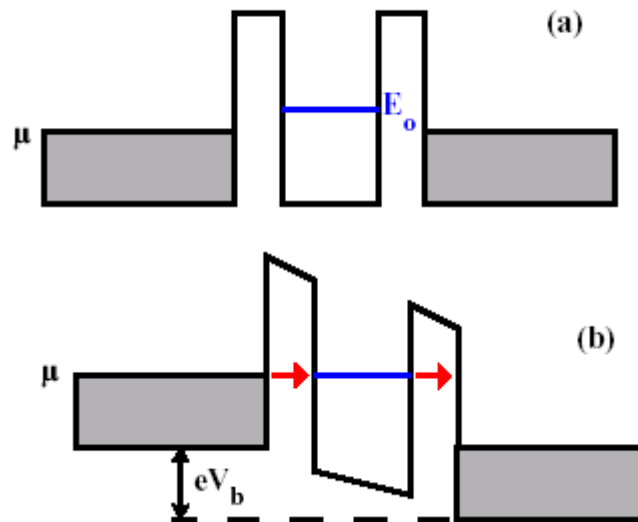
An energy barrier is needed to preserve a binary state

- Any electronic device contains at least one energy barrier, which controls electron flow. The barrier properties, such as height, length, and shape determine electronic devices.

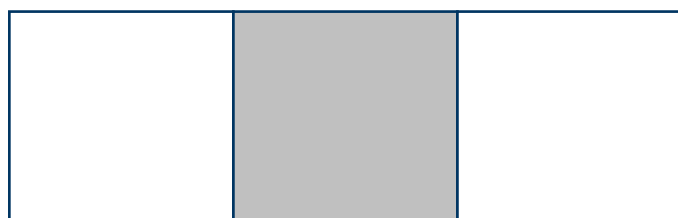
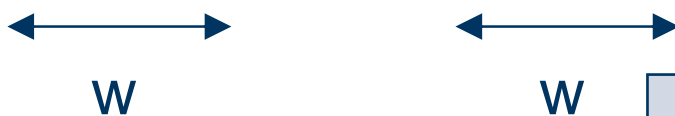
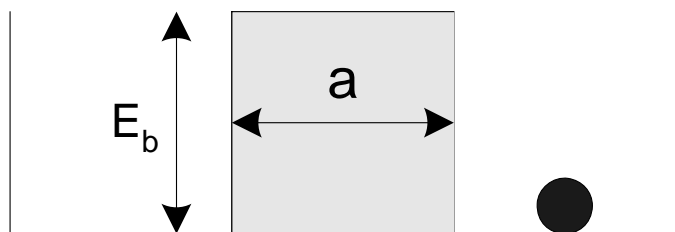
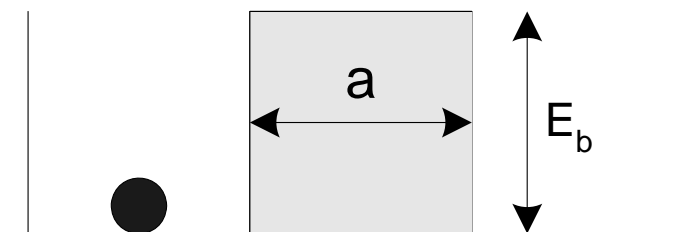


Source: Y. Taur and T. H. Ning
 "Fundamentals of modern VLSI devices"
 Cambridge university Press 1998

Resonant Tunnel Diode

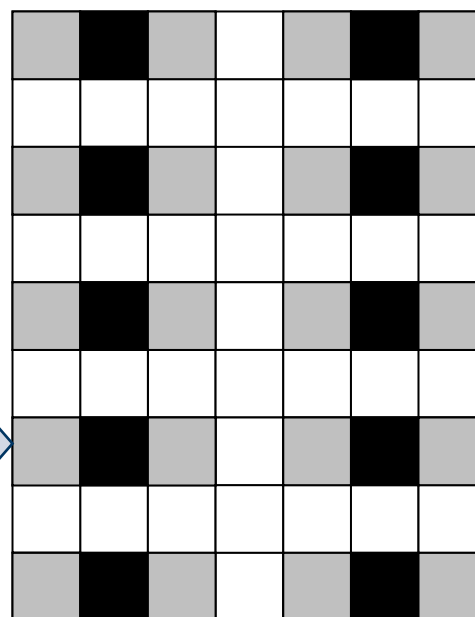


R. Compano (Ed.)
 Technology Roadmap for Nanoelectronics
 (European Communities, 2001)



Generic Floorplan of a binary switch

Optimum tiling)



White spaces are required to provide for isolation and interconnect

Device density

1) Upper Bound

$$n_{\max} = \frac{1}{8a^2}$$

2) IC (ITRS)

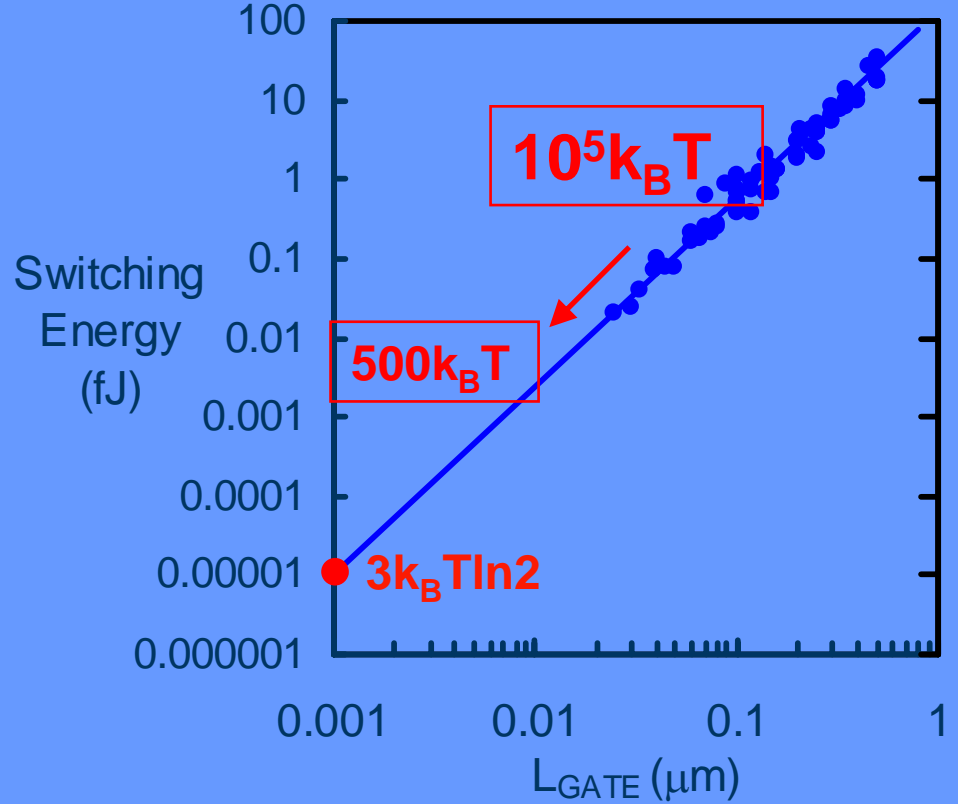
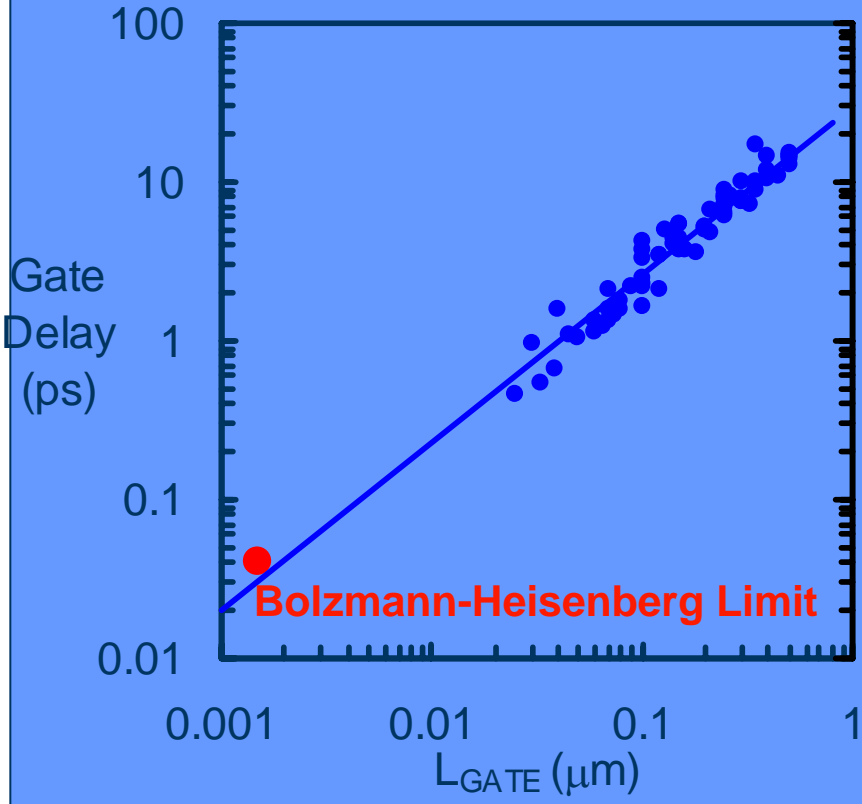
$$n_{MPU} = \frac{1}{20a^2}$$



CMOS scaling on track to obtain physical limits for electron devices

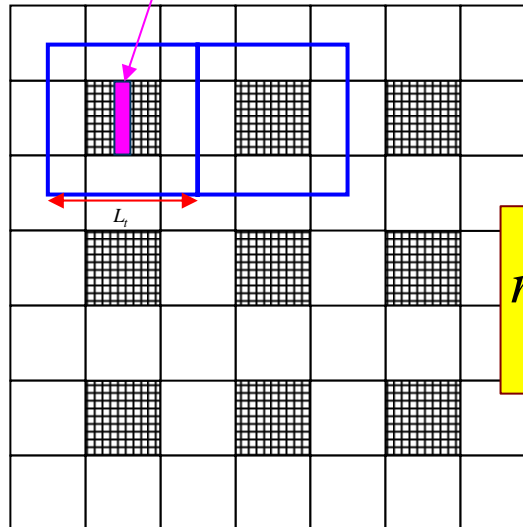


George Bourianoff / Intel



	Energy	Size
Lower bound	$\sim k_B T$ $4 \times 10^{-21} \text{ J/bit}$	$\sim 1 \text{ nm}$
Practical Limit	$\sim 500 k_B T$ $2 \times 10^{-18} \text{ J/bit}$	$\sim 5 \text{ nm}$

NRI is looking for new radical solutions



The effective dimension one transistor occupies on the MPU chip floorspace

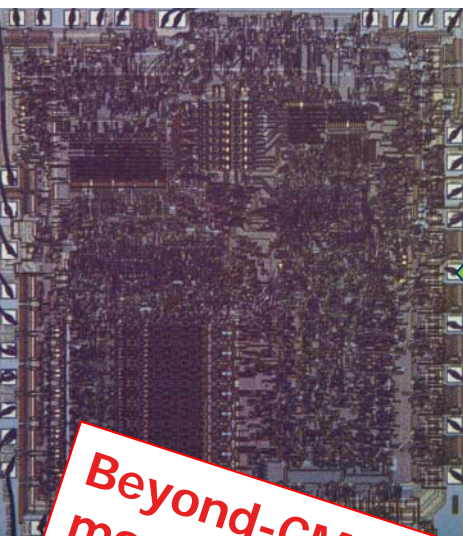
$$n_{\max} \sim \frac{1}{20L_g^2} \sim 10^{10} \text{ cm}^{-2}$$



$$n_{\max} \sim \frac{1}{20L_g^2} \sim 10^{10} \text{ cm}^{-2}$$

$L_g \sim 5\text{nm!}$

$$N_{tr} = 10^{10} \cdot (10^{-3})^2 = 10,000$$

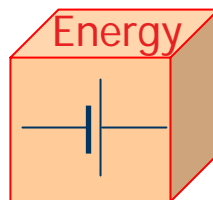


Intel 8080
(5000 trans)

Aggressive scaling is mandatory for μ-scale systems

In principle, the full MPU capabilities can be realized within 10μm square if we can sustain scaling to ultimate CMOS (~5 nm gate lengths)

Beyond-CMOS devices for more functionality at less device count?



$$E_{\text{bit}} \sim 2 \times 10^{-18} \text{ J/bit}$$

$$E \sim 10^{-5} \text{ J}$$

Max number of binary transitions

$$\sim 5 \times 10^{12}$$

MAXIMUM



$$n_{\max} \sim \frac{1}{20L_g^2} \sim 10^{10}\ \text{cm}^{-2}$$

$L_g \sim 5\text{nm!}$

$$N_{tr} = 10^{10} \cdot (10^{-3})^2 = 10,000$$

MINIMUM

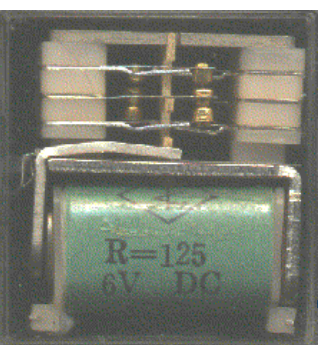
Logic Unit must contain a minimum number of switches (e.g. transistors) if it is to do useful computation

"if one constructs the automaton (A) correctly, then any additional requirements about the automaton can be handled by sufficiently elaborated instructions. This is only true if A is sufficiently complicated, if it has reached a certain minimum of complexity" (J. von Neumann)

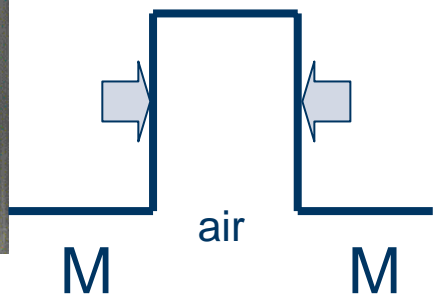
If we consider a one-bit MPU as the minimum useful element, then the von Neumann threshold is $\sim 150\text{-}200$ switches

~ 100 ALU ~ 100 memory

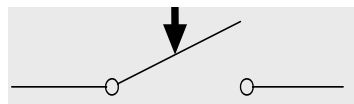
Sensors can be regarded as binary switches, whose barrier is deformed by different stimuli other than charge, e.g. *mechanical, optical, thermal, chemical*



Mechanical stimulus



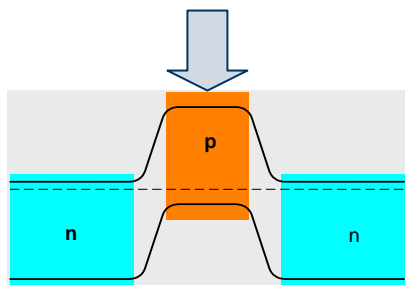
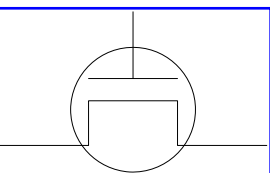
Electro-mechanical switch \approx Pressure sensor



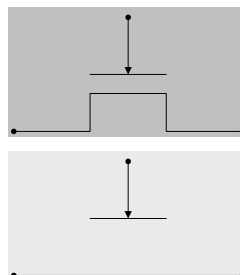
↓
Min size ~ 5 nm

$E_{bit} \sim 10^{-18}$ J/bit

Electrical Stimulus



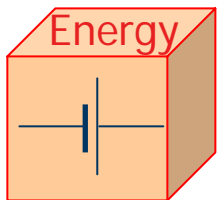
Transistor = Electronic Switch \approx Charge Sensor



In principle, the sensor can be powered by the energy of the external stimulus

All information devices, both switches and sensors, contain at least one energy barrier, which controls information carriers. The barrier properties, such as height, length, and shape determine the device characteristics

- Sensors are Critical Components for microsystems
- What are scaling limits of the sensors?
 - **Size-Sensitivity tradeoffs for different Stimuli?**
- Single sensor may be not enough
 - Decision making data management often require **pattern** sensing and analysis
 - Arrays of Micro- and Nanosensors
 - Multiple Stimuli
 - High-resolution mapping
 - **Example:** Micro-palpation
 - High-resolution tactile imaging has many potential applications
 - Typical spatial resolution of tactile sensors > 1mm
 - We need resolution < 1 μ m with high sensitivity



TOTAL

$$E \sim (10^{-3} \text{ to } 10^{-5}) \text{ J}$$

Alternative energy sources?

Per Bit

$$E_{\text{bit}} \sim 500 k_B T$$

$$2 \times 10^{-18} \text{ J/bit}$$

Design space is bounded by the limits of electrochemical sources

$$N = \frac{E_{\text{total}}}{E_{\text{bit}}} \sim 10^{12} \text{ equivalent binary transitions}$$

10¹² equivalent binary transitions

Control Logic

Communication

Sensing

~10⁴ transistors
~5x10¹² binary transitions

$$\sim 10^{-18} \text{ J/bit}$$

~4000 transmitted bits

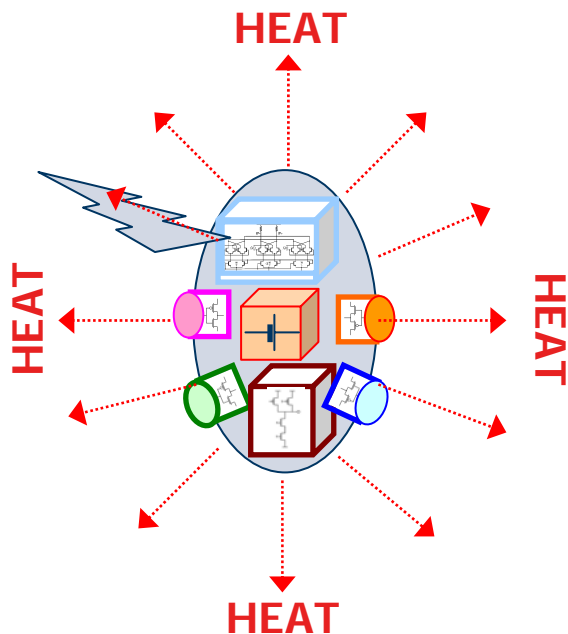
$$\sim 10^{-9} \text{ J/bit}$$

Communication is costly

$$\text{Min size} \sim 5 \text{ nm}$$

$$\sim 10^{-18} \text{ J/bit}$$

Size-Energy-Sensitivity tradeoffs?



Heat will be produced as result of cell operation

Heat production rate is another design constraint

$$\dot{q} = \frac{P}{A} = \frac{E}{t \cdot A}$$

Surface Area
6x10μm x 10μm

Control Logic

~10⁻¹⁸ J/bit

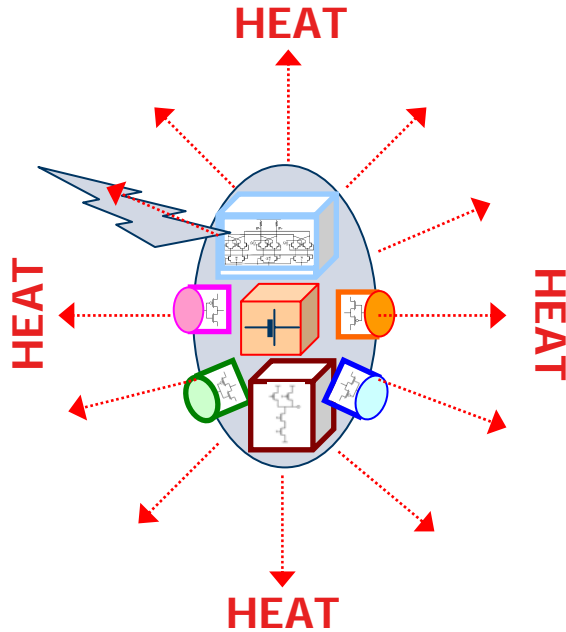
Communication

~10⁻⁹ J/bit

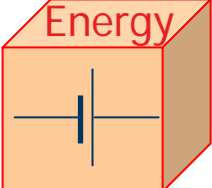
Sensing

~10⁻¹⁸ J/bit

How fast can we use stored energy?



Surface Area
 $6 \times 10 \mu\text{m} \times 10 \mu\text{m}$

Energy 

$$E \sim 10^{-5} \text{ J}$$

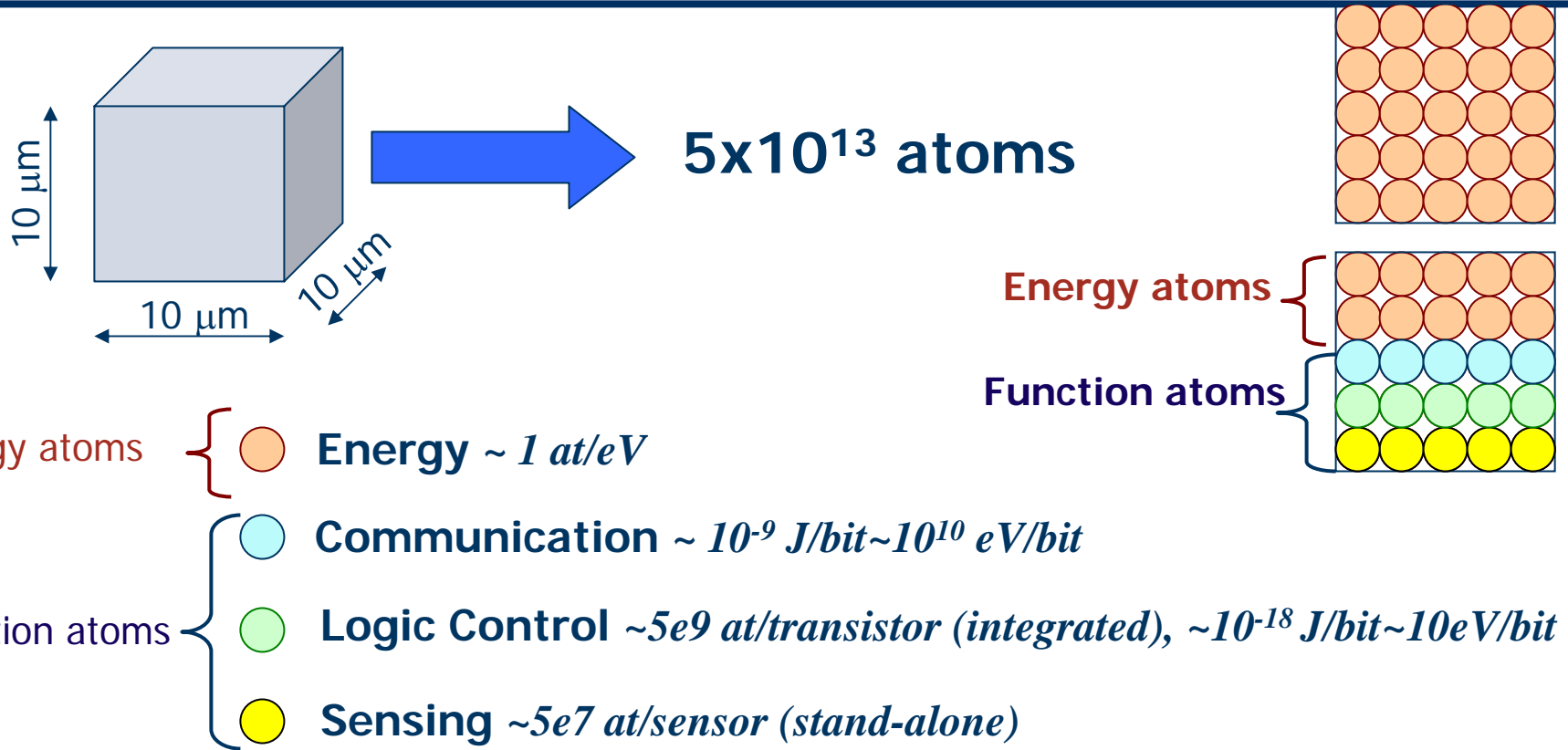
$$\dot{q} = \frac{P}{A} = \frac{E}{t \cdot A}$$

$$P = 3 \text{ nW}$$

$$q = 0.5 \text{ mW/cm}^2$$

Suppose we want the microcell to function at least 1 h

The projected heat production should be easily tolerated



Function	Functional atoms/device	Energy atoms/bit
Communication	$>5 \times 10^9$	10^9
Logic	5×10^9	10
Sensing	5×10^7	<10



Summary: Extreme Microsystems



- Extremely-scaled CMOS technology should support computation and control for the ten micron cube
 - Beyond CMOS devices may offer more functionality at lower device count
- Technology issues aside, it appears that a careful atomic-level trade-off could yield a functional system.
- Micron-scale energy sources are key to extreme microsystems
 - Design space is bounded by the limits of electrochemical sources
 - Alternative energy sources should be investigated
- Communication energy/volume expenditures is most costly activity – should therefore maximize “system intelligence”
- Potential for arrays of nano-scale sensors needs further exploration